# 6 Identify Symmetry

**Goal** • Identify line and rotational symmetries of a figure.

### **Your Notes**

## **VOCABULARY**

Line symmetry A figure in the plane has line symmetry if the figure can be mapped onto itself by a reflection in a line.

Line of symmetry In line symmetry, a line of reflection is called a line of symmetry.

Rotational symmetry A figure in a plane has rotational symmetry if the figure can be mapped onto itself by a rotation of 180° or less about the center of the figure.

Center of symmetry In rotational symmetry, the center of a figure is called the center of symmetry.

# Example 1

# **Identify lines of symmetry**

How many lines of symmetry does the figure have?







# Solution

a. Two lines of symmetry



symmetry

**b.** Five lines of

c. One line of symmetry





Does the figure have rotational symmetry? If so, describe any rotations that map the figure onto itself.

- a. Square
- b. Regular hexagon c. Kite

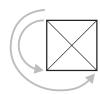






# Solution

a. The square has rotational symmetry. The center is the intersection of the diagonals. Rotations of 90° or 180° about the center map the square onto itself.



**b.** The regular hexagon has rotational symmetry. The center is the intersection of the diagonals. Rotations of  $60^{\circ}$ ,  $120^{\circ}$ , or  $180^{\circ}$  about the center all map the hexagon onto itself.



c. The kite does not have rotational symmetry because no rotation of 180° or less maps the kite onto itself.



#### **Identify symmetry** Example 3

Identify the line symmetry and rotational symmetry of the figure at the right.

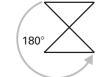


#### Solution

The figure has line symmetry. Two lines of symmetry can be drawn for the figure.



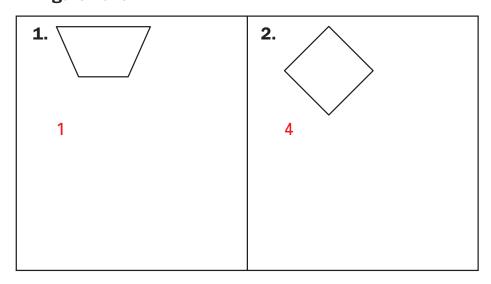
For a figure with s lines of symmetry, the smallest rotation that maps the figure onto itself has the measure



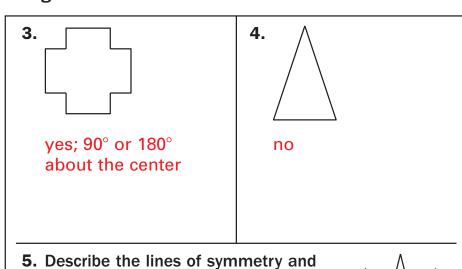
 $\frac{360^{\circ}}{s}$  . So, the figure has  $\frac{360^{\circ}}{2}$  , or 180° rotational symmetry.

# **Your Notes**

**Checkpoint** How many lines of symmetry does the figure have?



In Exercises 3 and 4, does the figure have rotational symmetry? If so, *describe* any rotations that map the figure onto itself.



Homework

180° about the center